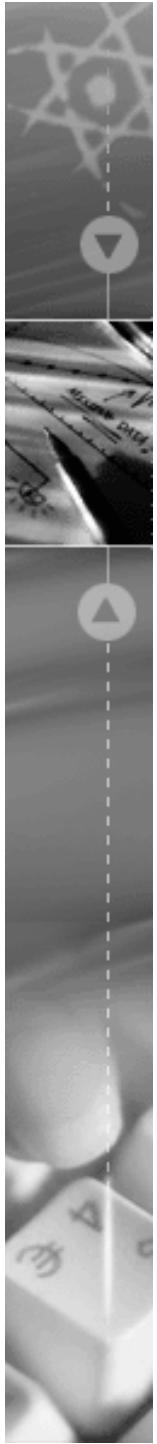




Text Categorization

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C. Manning and H. Schutze, Foundations of Statistical Natural Language Processing, MIT Press, 1999.



Tasks of Categorization

- ▶ Assign objects from a universe to two or more classes.
- ▶ Example:

Problem	Object	Categories
Tagging	Context of a word	Word's tags
Author ID.	Document	Authors
Text Cat.	Document	Topics



Problems

- Data representation model.
 - ▶ Training set of objects with labels.
- Model class.
 - ▶ A parameterized family of classifiers
- Training procedure.
 - ▶ Select one classifier from the family.



Data Representation Model

- ▶ General form:

$$(\vec{x}, c)$$

- ▶ \vec{x} is a vector measurements.
- ▶ c is the class label.
- ▶ Vector space model is frequently used.



Model Class

- ▶ A parameterized family of classifiers.
- ▶ Example of linear classifiers for binary classification:
 - ▶ $g(\vec{x}) = \vec{w} \cdot \vec{x} + w_0$
 - ▶ $g(\vec{x}) > 0 \Rightarrow c_1, \quad g(\vec{x}) \leq 0 \Rightarrow c_2$



Training Procedure

- ▶ Function fitting algorithm.
- ▶ Search for a good set of parameter.
- ▶ Optimization criteria:
 - ▶ Misclassification rate
 - ▶ Entropy



Evaluation

- ▶ Test set for measuring performance.
- ▶ Contingency table for evaluating a binary classifier.

Evaluation (*cont.*)

	YES is correct	NO is correct
YES was assigned	a	b
NO was assigned	c	d

- ▶ **Accuracy:** $\frac{a + d}{a + b + c + d}$
- ▶ **Precision:** $\frac{a}{a + b}$ **Recall:** $\frac{a}{a + c}$
- ▶ **Fallout:** $\frac{b}{b + d}$

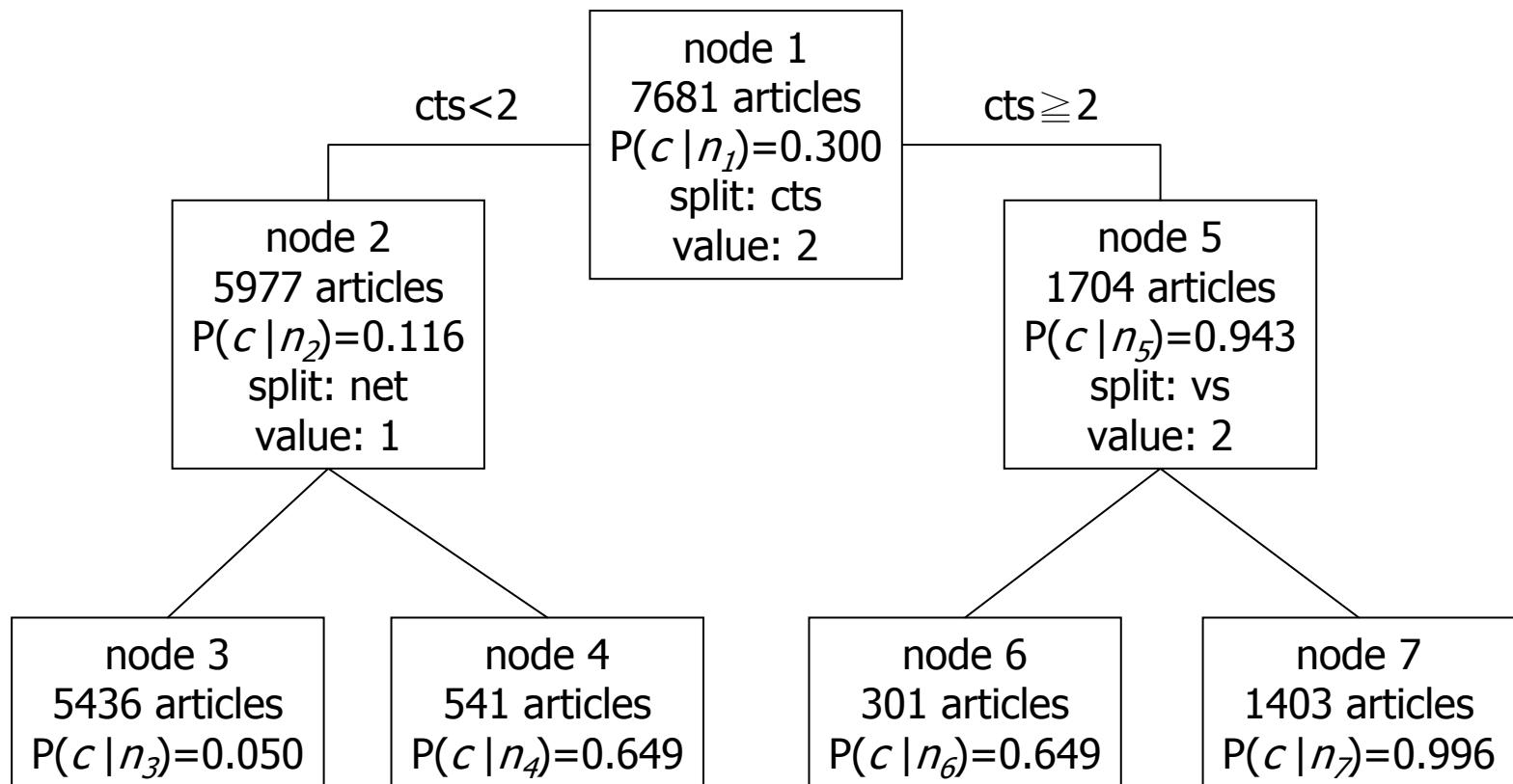


Evaluation for More Than Two Categories

- ▶ 2x2 contingency table for each category c_i (c_i vs. not c_i).
- ▶ Macro-averaging.
 - ▶ Average measure over categories.
- ▶ Micro-averaging.
 - ▶ One table for all data by summing the scores in each cell for all categories.

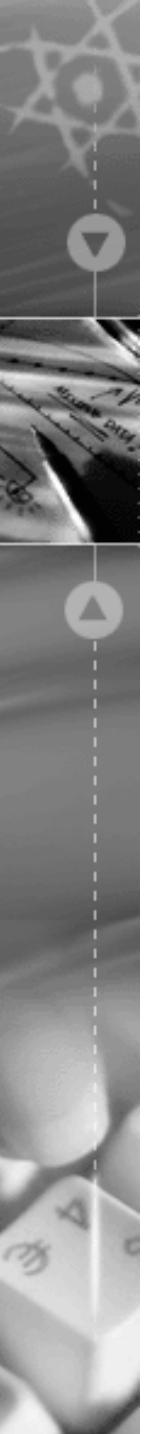
Decision Trees

▶ Assign docs to category “earnings”.



Data Representation Model

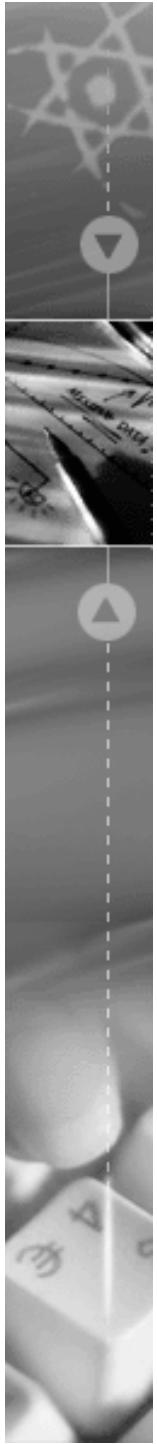
- ▶ Choose 20 words whose χ^2 score are highest in the training set.
- ▶ Each document is assigned as a vector
 - ▶ $\vec{x} = (s_{1j}, \dots, s_{kj})$ Term Frequency
 - ▶ $s_{ij} = \text{round}(10 \times \frac{1 + \log(tf_{ij})}{1 + \log(l_j)})$
 - ▶ Document length



Example of Representation

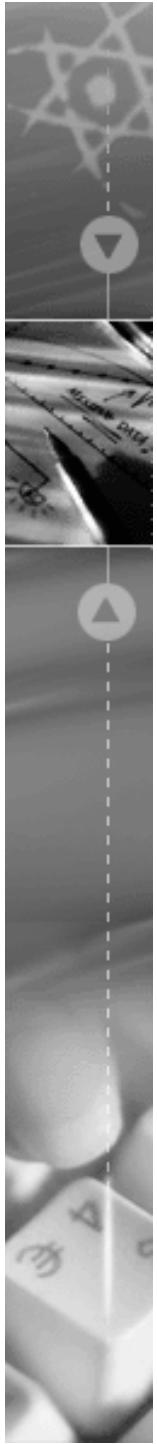
Word w^j	Term weight s_{ij}	Classification
vs	5	
mln	5	
cts	3	
;	3	
&	3	
000	4	
loss	0	
,	0	
"	0	
3	4	
profit	0	
dls	3	
1	2	
pct	0	
is	0	
s	0	
that	0	
net	3	
lt	2	
at	0	

$$\vec{x} = \begin{pmatrix} 5 \\ 5 \\ 3 \\ 3 \\ 3 \\ 4 \\ 0 \\ 0 \\ 0 \\ 4 \\ 0 \\ 3 \\ 3 \\ 2 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 0 \\ 3 \\ 2 \\ 0 \end{pmatrix} \quad c = 1$$



Training Procedure

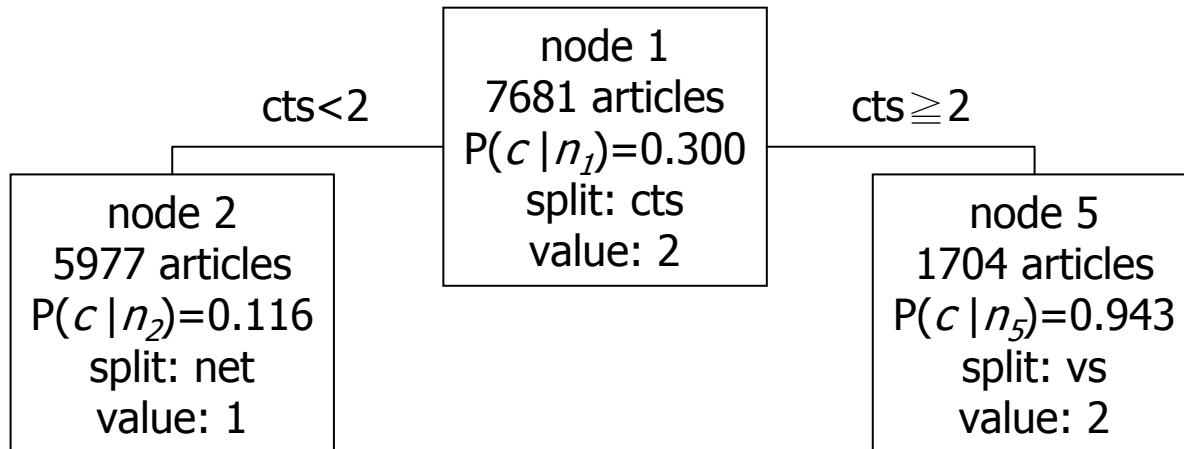
- ▶ Splitting criterion
 - ▶ finding the feature and its value.
- ▶ Stopping criterion
 - ▶ determine when to stop splitting
 - ▶ leaf node.
- ▶ Decision trees are built
 - ▶ by growing a large tree.
 - ▶ pruning back to a reasonable size.



Splitting Criterion- Maximum Information Gain

- ▶ Difference of the entropy of the mother node and weighted sum of child nodes.
- ▶ $G(a, y) = H(t) - H(t | a) = H(t) - (p_L H(t_L) + p_R H(t_R))$
- ▶ (a, y, t) =split (attribute, value, distribution).
- ▶ p_L, p_R : proportion elements of left and right nodes.
- ▶ t_L, t_R : distribution of the left and right nodes.

Example of Maximum Information Gain



$$G(a, y) = H(t) - H(t | a) = H(t) - (p_L H(t_L) + p_R H(t_R))$$

$$H(X) = - \sum_{x \in X} p(x) \log_2 p(x)$$

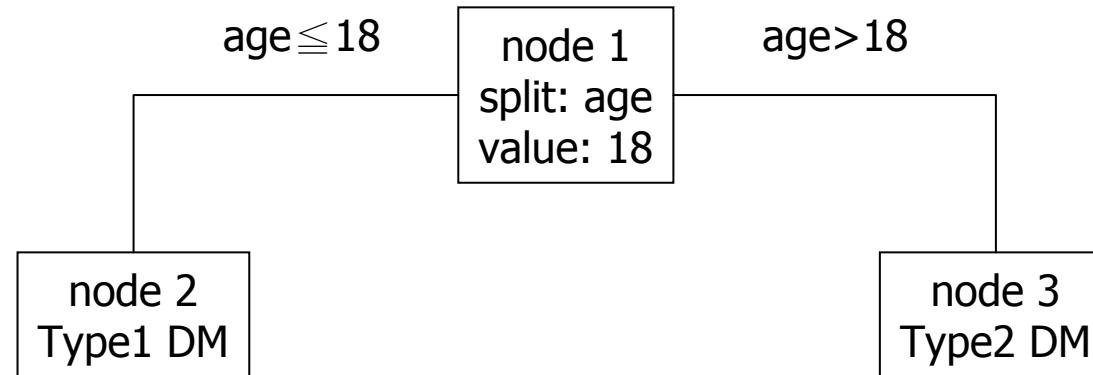
- ➊ entropy at node1 = $-(0.3 * \log_2(0.3) + 0.7 * \log_2(0.7)) = 0.611$
- ➋ entropy at node2 = 0.359
- ➌ entropy at node5 = 0.219
- ➍ weighted sum of 2 and 5 $\frac{5977}{7681} \times 0.359 + \frac{1704}{7681} \times 0.219 = 0.328$
- ➎ information gain $0.611 - 0.328 = 0.238$



The Goals of Pruning

- ▶ Avoid overfitting.
 - ▶ too specific for the training data.
 - ▶ can not generalize to other data.
- ▶ Optimize performance.

Overfitting



- ▶ Type1 diabetes mellitus usually occurs at young age in early year.
- ▶ Obesity is the main factor of young people with Type2 diabetes recently.



Validation

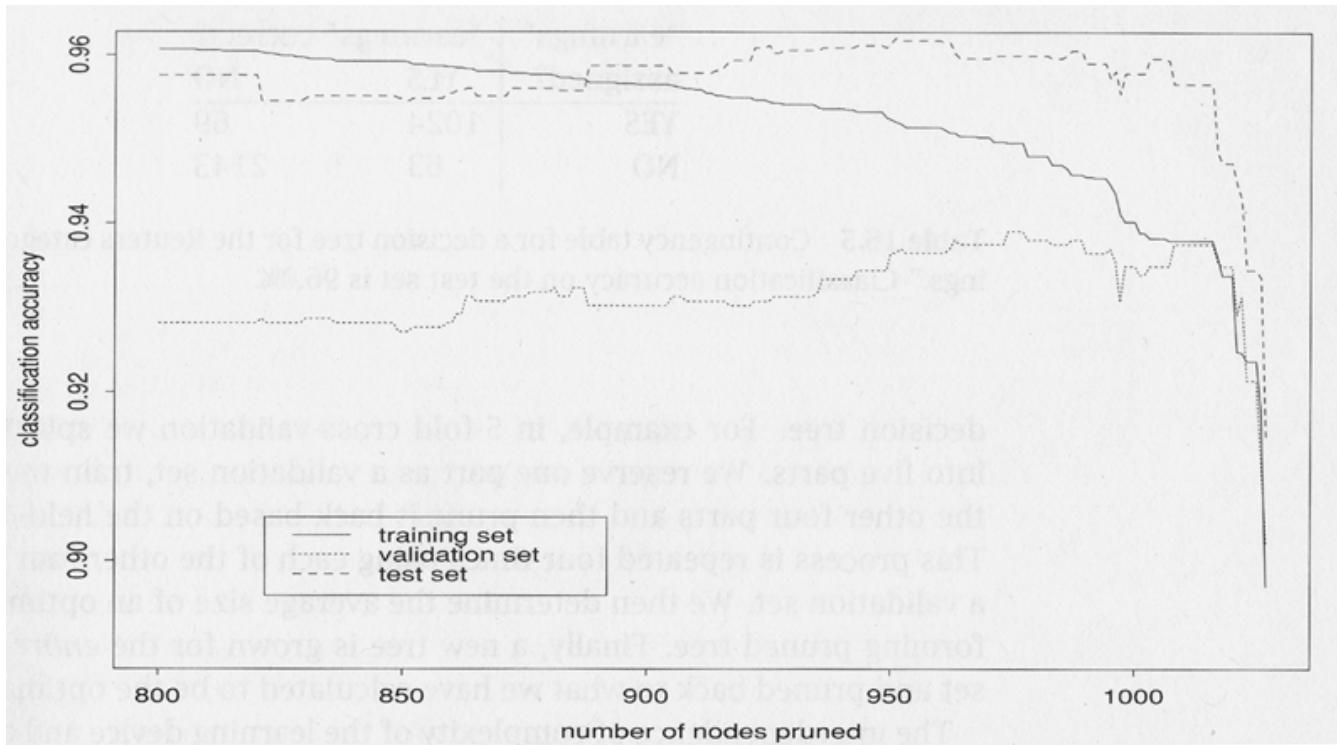
- ▶ Evaluate a classifier on a held-out or validation data set.
- ▶ Held-out data is a subset of the training data.
- ▶ Smooth counts from training data. or estimate other parameters based on held-out data.



Alternative Pruning

- ▶ Keep the whole tree.
- ▶ Get more reliable probability distributions of higher nodes.

Pruning a Decision Tree



- ▶ Optimal performance:
 - ▶ 93.91% accuracy on validation set
 - ▶ 96.21% accuracy on test set



N-fold Cross-Validation

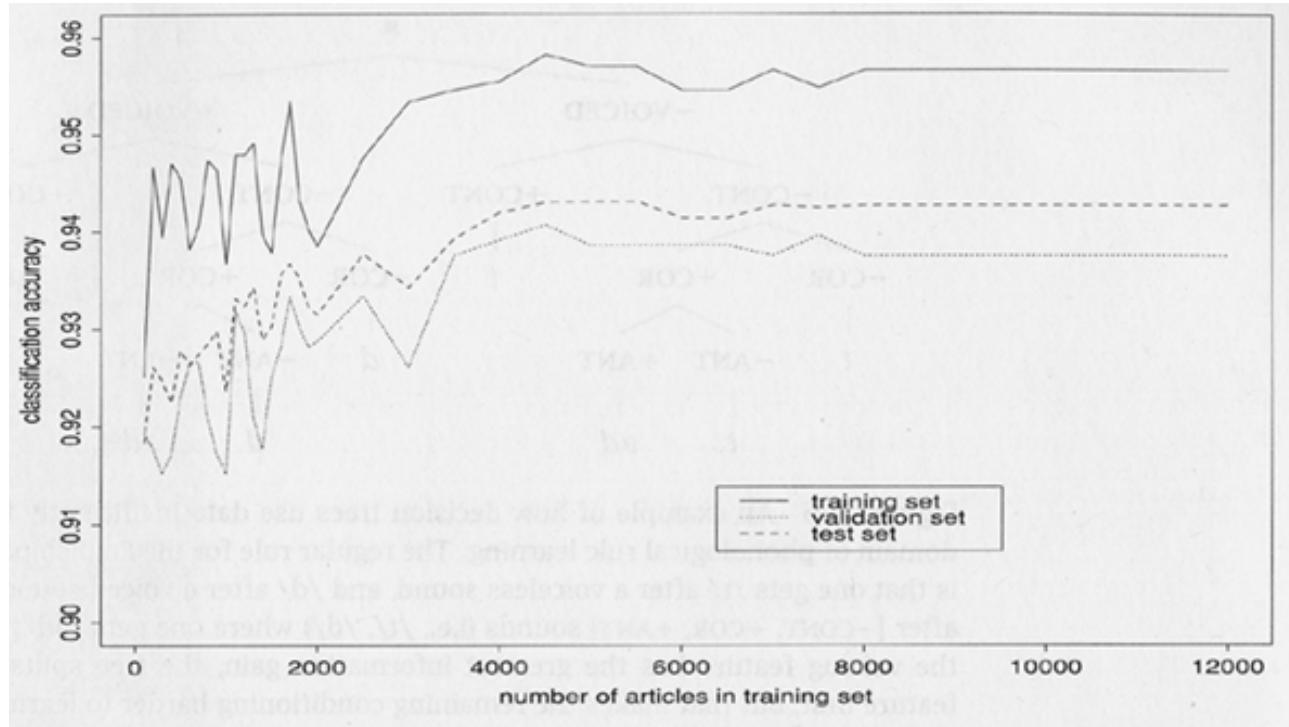
- ▶ Estimate a good validation set size.
- ▶ 5-fold cross-validation for example:
 - ▶ split the data into 5 parts
 - ▶ reserve 1 part as validation set and train the tree on other 4 parts.
 - ▶ prune the tree based on validation set.
 - ▶ repeat this process 4 times using each of the other 4 parts as a validation set.
 - ▶ Average size for optimal performance.



Learning Curve

- ▶ Training procedure is usually computationally expensive.
- ▶ Insufficient training data will result in suboptimal accuracy.
- ▶ Determine an appropriate training set.

Learning Curve (*cont.*)



- ▶ Accuracy is highly variable for small training set.



Advantages of Decision Trees

- Easily interpret and explain.
- Easily trace the path from root to leaf node.



K Nearest Neighbor (KNN)

- Classify a new object
 - Find the most similar objects in the training set.
 - Assign the category of the nearest neighbor.
- The complexity of KNN is finding a good similarity metrics.



1NN Algorithm

- ▶ Categorize \vec{y} based on training set X .

- ▶ Use cosine measure to estimate the similarity between \vec{y} and any \vec{x}

$$sim_{\max}(\vec{y}) = \max_{\vec{x} \in X} sim(\vec{x}, \vec{y})$$

- ▶ Collect the subset of X that has highest similarity with \vec{y}

$$A = \{\vec{x} \in X \mid sim(\vec{x}, \vec{y}) = sim_{\max}(\vec{y})\}$$

1NN Algorithm (*cont.*)

- ▶ Let n_1, n_2 be the number of elements that belong to class c_1, c_2

$$p(c_1 | \vec{y}) = \frac{n_1}{n_1 + n_2} \quad p(c_2 | \vec{y}) = \frac{n_2}{n_1 + n_2}$$

- ▶ Decide c_1 if $p(c_1 | \vec{y}) > p(c_2 | \vec{y})$
 c_2 otherwise



Generalization

- ▶ Choose k nearest neighbors.
- ▶ Give desirable weight to neighbors according to their similarity.



Difficulty of KNN

- ▶ Performance is very dependent on the right similarity metric.
- ▶ Computing similarity with all training exemplars takes time.